Package: simule (via r-universe)

September 13, 2024

Version 1.3.0

Date 2018-07-02

Title A Constrained L1 Minimization Approach for Estimating Multiple Sparse Gaussian or Nonparanormal Graphical Models

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Depends R ($>= 3.0.0$), lpSolve, pcaPP, igraph

Suggests parallel

Description This is an R implementation of a constrained l1 minimization approach for estimating multiple Sparse Gaussian or Nonparanormal Graphical Models (SIMULE). The SIMULE algorithm can be used to estimate multiple related precision matrices. For instance, it can identify context-specific gene networks from multi-context gene expression datasets. By performing data-driven network inference from high-dimensional and heterogenous data sets, this tool can help users effectively translate aggregated data into knowledge that take the form of graphs among entities. Please run demo(simuleDemo) to learn the basic functions provided by this package. For further details, please read the original paper: Beilun Wang, Ritambhara Singh, Yanjun Qi (2017) [<DOI:10.1007/s10994-017-5635-7>](https://doi.org/10.1007/s10994-017-5635-7).

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URL <https://github.com/QData/SIMULE>

BugReports <https://github.com/QData/SIMULE>

RoxygenNote 6.0.1

NeedsCompilation no

Date/Publication 2018-07-02 21:10:03 UTC

Repository https://blw921.r-universe.dev

RemoteUrl https://github.com/cran/simule

RemoteRef HEAD

RemoteSha aa8fabf8ccecfcb237cc2a855add23f668efaf14

Contents

simule-package *Shared and Individual parts of MULtiple graphs Explicitly*

Description

This is an R implementation of a constrained l1 minimization approach for estimating multiple Sparse Gaussian or Nonparanormal Graphical Models (SIMULE). The SIMULE algorithm can be used to estimate multiple related precision matrices. For instance, it can identify context-specific gene networks from multi-context gene expression datasets. By performing data-driven network inference from high-dimensional and heterogeneous datasets, this tool can help users effectively translate aggregated data into knowledge that take the form of graphs among entities. This package includes two graphical model options: Gaussian Graphical model and nonparanormal graphical model. The first model assumes that each dataset follows the Gaussian Distribution. The second one assumes that each dataset is nonparanormal distributed. This package provides two computational options: the multi-threading implementation and the single-threading implementation. Please run demo(simuleDemo) to learn the basic functions provided by this package. For further details, please read the original paper: <http://link.springer.com/article/10.1007/s10994-017-5635-7>.

Details

Identifying context-specific entity networks from aggregated data is an important task, often arising in bioinformatics and neuroimaging. Computationally, this task can be formulated as jointly estimating multiple different, but related, sparse Undirected Graphical Models (UGM) from aggregated samples across several contexts. Previous joint-UGM studies have mostly focused on sparse Gaussian Graphical Models (sGGMs) and can't identify context-specific edge patterns directly. We, therefore, propose a novel approach, SIMULE (detecting Shared and Individual parts of MULtiple

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graphs Explicitly) to learn multi-UGM via a constrained L1 minimization. SIMULE automatically infers both specific edge patterns that are unique to each context and shared interactions preserved among all the contexts. Through the L1 constrained formulation, this problem is cast as multiple independent subtasks of linear programming that can be solved efficiently in parallel. In addition to Gaussian data, SIMULE can also handle multivariate nonparanormal data that greatly relaxes the normality assumption that many real-world applications do not follow. We provide a novel theoretical proof showing that SIMULE achieves a consistent result at the rate O(log(Kp)/n_tot). On multiple synthetic datasets and two biomedical datasets, SIMULE shows significant improvement over state-of-the-art multi-sGGM and single-UGM baselines.

Author(s)

Beilun Wang, Zhaoyang Wang (Arthur) Beilun Wang(Maintainer)

References

Beilun Wang, Ritambhara Singh, Yanjun Qi (2017). A constrained L1 minimization approach for estimating multiple Sparse Gaussian or Nonparanormal Graphical Models. <http://link.springer.com/article/10.1007/s10994- $017 - 5635 - 7$

Examples

```
## Not run:
data(exampleData)
simule(X = exampleData , 0.05, 1, covType = "cov", TRUE)
wsimule(X = exampleData , 0.05, 1, W = matrix(1,100,100), covType = "cov", TRUE)
## End(Not run)
```
cancer *Microarray data set for breast cancer*

Description

et al's paper. It concerns one hundred thirty-three patients with stage I–III breast cancer. Patients were treated with chemotherapy prior to surgery. Patient response to the treatment can be classified as either a pathologic complete response (pCR) or residual disease (not-pCR). Hess *et al* developed and tested a reliable multigene predictor for treatment response on this data set, composed by a set of 26 genes having a high predictive value.

Usage

```
data(cancer)
```
Format

a list of two objects: dataframe with 133 observations of 26 features and factors indicating whether each sample (out of 133) is of type "not" or type "pcr"

Details

The dataset splits into 2 parts (pCR and not pCR), on which network inference algorithms should be applied independently or in the multitask framework: only individuals from the same classes should be consider as independent and identically distributed.

References

J.A. Mejia, D. Booser, R.L. Theriault, U. Buzdar, P.J. Dempsey, R. Rouzier, N. Sneige, J.S. Ross, T. Vidaurre, H.L. Gomez, G.N. Hortobagyi, and L. Pustzai (2006). Pharmacogenomic predictor of sensitivity to preoperative chemotherapy with Paclitaxel and Fluorouracil, Doxorubicin, and Cyclophosphamide in breast cancer, *Journal of Clinical Oncology*, vol. 24(26), pp. 4236–4244.

exampleData *A simulated toy dataset that includes 2 data matrices (from 2 related tasks).*

Description

A simulated toy dataset that includes 2 data matrices (from 2 related tasks). Each data matrix is about 100 features observed in 200 samples. The two data matrices are about exactly the same set of 100 features. This multi-task dataset is generated from two related random graphs. Please run demo(simule) to learn the basic functions provided by this package. For further details, please read the original paper: <http://link.springer.com/article/10.1007/s10994-017-5635-7>.

Usage

data(exampleData)

Format

The format is: List of 2 matrices $\frac{1}{2}$: num [1:200, 1:100] -0.0982 -0.2417 -1.704 0.4- attr(*, "dimnames")=List of 2\$: NULL\$: NULL \$: num [1:200, 1:100] -0.161 0.41 0.17 0. attr(*, "dimnames")=List of 2\$: NULL\$: NULL

exampleDataGraph *A simulated toy dataset that includes 3 igraph objects*

Description

(first one being the shared graph and second and third being task specific 1 and 2 graphs) The graphs are generated from two related random graphs and the underlaying high dimensional gaussian distribution generates the exampleData dataset. exampleDataGraph serves as a groundtruth to compare in demo(synthetic).

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Usage

data(exampleDataGraph)

Format

A list of 3 igraph objects

nip_37_data *NIPS word count dataset*

Description

This NIPS Conference Papers 1987-2015 Data set is avaiable at UCI Machine Learning Repository. The original dataset is in the form of a 11463 x 5812 matrix of word counts (11463 words and 5812 conference papers) Due to the size of the original dataset, it is preprocessed and reduced to a list of two matrices (2900 x 37 and 2911 x 37) The dataset consists of two tasks (early (up to 2006) and recent (after 2006) NIPS conference papers) with 37 words

Usage

data(nip_37_data)

Format

a list of two nonnegative integer matrices (1:2900, 1:37) and (1:2911,1:37) Columns are named with year_paperid and rows are names with word name

References

'Poisson Random Fields for Dynamic Feature Models'. Perrone V., Jenkins P. A., Spano D., Teh Y. W. (2016)

plot.simule *Plot simule result specified by user input*

Description

This function can plot and return multiple sparse graphs distinguished by edge colors from the result generated by simule

Usage

```
## S3 method for class 'simule'
plot(x, graphlabel = NULL, type = "task",neighbouroption = "task", subID = NULL, index = NULL,
 graphlayout = NULL, ...)
```
Arguments

Details

when only the simulresult is provided, the function will plot all graphs with default numeric labels User can specify multiple subID and multiple index to zoom in multiple nodes on multiple graphs Each graph will include a decriptive title and legend to indicate correspondence between edge color and task. The function will plot graph and return an igraph object at the same time

Value

a plot of graph / subgraph from simule result specified by user input

Author(s)

Beilun Wang, Zhaoyang Wang (Author), Beilun Wang (maintainer)

Examples

Not run: data(exampleData)

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```
result = simule(X = exampleData, lambda = 0.1, epsilon = 0.45, covType = "cov", FALSE)
plot.simule(result, graphlabel = NULL, type="task", graphlayout = NULL)
## End(Not run)
```
returngraph *return igraph object from simule result specified by user input*

Description

This function can return an igraph object from simule result for user to work with directly

Usage

```
returngraph(x, type = "task", neighbouroption = "task", subID = NULL,
  index = NULL
```
Arguments

Details

the function aims to provide users the flexibility to explore and visualize the graph own their own generated from simule / wsimule

Value

an igraph object of graph / subgraph from simule result specified by user input

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Author(s)

Beilun Wang, Zhaoyang Wang (Author), Beilun Wang (maintainer)

Examples

```
## Not run:
data(exampleData)
result = simule(X =exampleData, lambda = 0.1, epsilon = 0.45, covType = "cov", TRUE)
graph = returngraph(result, type="task")
## End(Not run)
```
simule *A constrained l1 minimization approach for estimating multiple Sparse Gaussian or Nonparanormal Graphical Models Estimate multiple, related sparse Gaussian or Nonparanormal graphical*

Description

models from multiple related datasets using the SIMULE algorithm. Please run demo(simule) to learn the basic functions provided by this package. For further details, please read the original paper: Beilun Wang, Ritambhara Singh, Yanjun Qi (2017) <DOI:10.1007/s10994-017-5635-7>.

Usage

 $simle(X,$ lambda, epsilon = 1, covType = "cov", parallel = FALSE)

Arguments

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Details

The SIMULE algorithm is a constrained l1 minimization method that can detect both the shared and the task-specific parts of multiple graphs explicitly from data (through jointly estimating multiple sparse Gaussian graphical models or Nonparanormal graphical models). It solves the following equation: \deqn \hat\Omega^(1)_I, \hat\Omega^(2)_I, \dots, \hat\Omega^(K)_I, \hat\Omega_S $= \min\limits_{\Omega^{\iota}}\Omega^{\iota}$ = \min\limits_\Omega^(i)_I,\Omega_S\sum\limits_i ||\Omega^(i)_I||_1+ \epsilon K||\Omega_S||_1 Subject to : $\deg(N)$ \sigma^(i)(Ω^{ι}] + Ω S) - I|| \inf_{ι} ι le λ n, i = 1,\dots,K \nonumber Please also see the equation (7) in our paper. The \eqn\lambda_n is the hyperparameter controlling the sparsity level of the matrices and it is the \codelambda in our function. The \eqn\epsilon is the hyperparameter controlling the differences between the shared pattern among graphs and the individual part of each graph. It is the \codeepsilon parameter in our function and the default value is 1. For further details, please see our paper: <http://link.springer.com/article/10.1007/s10994- $017 - 5635 - 7$.

Value

\itemGraphsA list of the estimated inverse covariance/correlation matrices. \itemshareThe share graph among multiple tasks.

Author(s)

Beilun Wang

References

Beilun Wang, Ritambhara Singh, Yanjun Qi (2017). A constrained L1 minimization approach for estimating multiple Sparse Gaussian or Nonparanormal Graphical Models. http://link.springer.com/article/10.1007/s10994- 017-5635-7

Examples

```
## Not run:
data(exampleData)
result = simule(X =exampleData, lambda = 0.1, epsilon = 0.45, covType = "cov", FALSE)
plot.simule(result)
## End(Not run)
```
wsimule *A constrained and weighted l1 minimization approach for estimating multiple Sparse Gaussian or Nonparanormal Graphical Models*

Description

Estimate multiple, related sparse Gaussian or Nonparanormal graphical models from multiple related datasets using the SIMULE algorithm. Please run demo(wsimule) to learn the basic functions provided by this package. For further details, please read the original paper: Beilun Wang, Ritambhara Singh, Yanjun Qi (2017) <DOI:10.1007/s10994-017-5635-7>.

Usage

```
wsimule(X, lambda, epsilon = 1, W, covType = "cov", parallel = FALSE)
```
Arguments

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Details

The SIMULE algorithm is a constrained l1 minimization method that can detect both the shared and the task-specific parts of multiple graphs explicitly from data (through jointly estimating multiple sparse Gaussian graphical models or Nonparanormal graphical models). It solves the following equation:

$$
\hat{\Omega}_I^{(1)},\hat{\Omega}_I^{(2)},\ldots,\hat{\Omega}_I^{(K)},\hat{\Omega}_S = \min_{\Omega_I^{(i)},\Omega_S} \sum_i ||W \cdot \Omega_I^{(i)}||_1 + \epsilon K ||W \cdot \Omega_S||_1
$$

Subject to :

$$
||\Sigma^{(i)}(\Omega_I^{(i)} + \Omega_S) - I||_{\infty} \leq \lambda_n, i = 1, \dots, K
$$

Please also see the equation (7) in our paper. The λ_n is the hyperparameter controlling the sparsity level of the matrices and it is the lambda in our function. The ϵ is the hyperparameter controlling the differences between the shared pattern among graphs and the individual part of each graph. It is the epsilon parameter in our function and the default value is 1. For further details, please see our paper: <http://link.springer.com/article/10.1007/s10994-017-5635-7>.

Value

Author(s)

Beilun Wang

References

Beilun Wang, Ritambhara Singh, Yanjun Qi (2017). A constrained L1 minimization approach for estimating multiple Sparse Gaussian or Nonparanormal Graphical Models. http://link.springer.com/article/10.1007/s10994- 017-5635-7

Examples

```
## Not run:
data(exampleData)
result = wsimule(X = exampleData, lambda = 0.1, epsilon = 0.45,
W = matrix(1, 20, 20), covType = "cov", FALSE)
plot.simule(result)
```
End(Not run)

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